

# A Modified Canny Edge Detection Algorithm with Variable Sigma

Biman Debbarma and Dibyendu Ghoshal

**Abstract**— Canny Edge Detector is the most widely used and studied edge detection algorithm because of its robustness to noise. In this paper a modified Canny Algorithm has been proposed which uses variable sigma for different parts of the image.

**Index Terms**— Edge Detection, Canny Algorithm, Gaussian Filter, Sigma, Entropy.

## I. INTRODUCTION

Edge detection literally means finding edge points of an image or finding discontinuity in an image. Edge detection is of great importance as a good edge detection technique improves the performance of other processing units. Various approach has been adopted for detecting edges e.g. The Marr-Hildreth edge detector [1], Local Threshold and Boolean Function Based edge detector [2], Canny Edge Detector [3] etc. Among these, Canny edge algorithm the most popular one. Various modifications of Canny algorithm have been proposed in literature [4]-[11]. In this paper a new approach has been adopted for better response where the gradient values of different parts of the image differ by a great amount.

## II. CANNY ALGORITHM

The aim of Canny algorithm was to have good detection (minimum number of false edges), good localization (closeness of the real edge and the detected edge) and minimal response (one edge should be detected only once). Canny algorithm is a step-by-step process and the steps are shown in fig. 1.

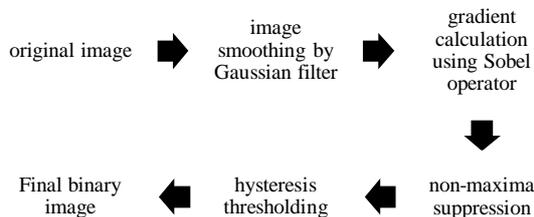


Fig. 1: Steps of Canny Algorithm

The Canny edge detector uses a Gaussian filter. The image is convolved with the filter. The filter blurs the image to a degree specified by  $\sigma$  to minimize the effect of unwanted information. Fig. 2 (b) is the output of a 5X5 Gaussian filter with  $\sigma=1.4$  whose input is fig. 2 (a).



Figure 2(a): A test image

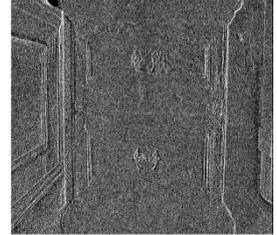


Figure 2(b): Filtered image

The point of interest in the proposed method is the Gaussian filter of the Canny Edge Detector. The filter is used for blurring the image before processing so that unwanted edges or noises are not detected as edges. The Gaussian function is given by.

$$h(x, y) = \exp(-\pi(x^2 + y^2)/\sigma)$$

where the parameter  $\sigma$  (sigma) determines the width of the filter and hence the degree of blurring i.e. the greater the value of sigma the more the blurring is. But this approach gives average results when there are prominent edges and faint edges in the image both of which may be of great significance. If the value of sigma is very high then faint edges will not be detected. On the other hand if sigma is very low then noise may also get detected as edges.

## III. PROPOSED METHOD

An easy but effective approach is proposed in this paper in which different values of sigma are applied in different parts of the image instead of processing the entire image with a single value of sigma.

In this approach, the image is divided into a number of sub-images. This number will determine the level of accuracy of the final output i.e. more number of sub-images will give better results. After dividing the image, the mean pixel value of each sub-image is calculated and depending upon these values each sub-image will be processed by a Gaussian filter with different sigma values. It is quite evident that sub-images having very high or very low mean pixel values are likely to have faint edges while the ones with intermediate mean values are likely to have prominent edges. Therefore, the sub-images with higher or lower mean values are processed with small values of sigma while others are processed with high values of sigma.

Biman Debbarma and Dibyendu Ghoshal are working in NIT Agartala, [Bimandebbarma75@gmail.com](mailto:Bimandebbarma75@gmail.com), [tukumw@gmail.com](mailto:tukumw@gmail.com)

A. Proposed Algorithm:

**input:** An image I; number of sub-images(k); sigma value ( $\sigma$ ) assignment for a corresponding range of mean values.

**output:** a binary image of edges (O).

**A** (1,2,...k) $\leftarrow$ sub-images of I;

**for** i=1:k

    M(i)=mean A(i);

$\sigma \leftarrow f(M(i));$

    C(i)=Canny(A(i),  $\sigma$ );

**end**

O={C(1), C(2), .....C(K)};Final Stage

B. Experimental Results:

Experiments were conducted on various images and better results were observed. One of them is shown in fig. 3(a)-3(f). From fig. 3(f) it is evident that the proposed method gives better results than the original algorithm. Here only sigma is varied and other components e.g. thresholding values are kept constant.



Fig. 3(a): Original Image



Fig. 3(b):  $\sigma=1.5$



Fig. 3(c):  $\sigma=3.0$

$\sigma=5.0$

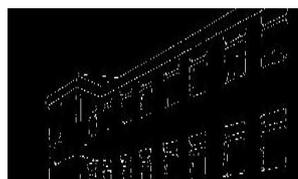


Fig. 3(d):

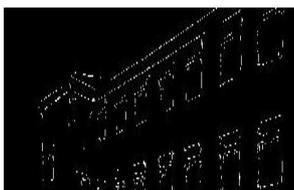


Fig. 3(e):  $\sigma=10.0$

variable



Fig. 3(f):  $\sigma$  is

C. Entropy Calculation:

Entropy is defined as measure of average uncertainty and is given by the formula-

$$H = -\sum p \log_2 p$$

where p is the histogram count.

Table I: ENTROPIES OF FIGURES 3(a)-3(f)

Image	Entropy (H)
Original image	5.6599
$\sigma=1.5$	3.8562
$\sigma=3$	3.5322
$\sigma=5$	3.4533
$\sigma=10$	3.3153
Proposed method	3.2370

From Table I it is clear that the proposed method has the lowest entropy. The canny algorithm can have lower entropy than the proposed method but the information will be highly degraded because of removal of significant edges.

The following figures 4(a)-4(f) show the Histograms of Fig. 3(a)-3(f) respectively.

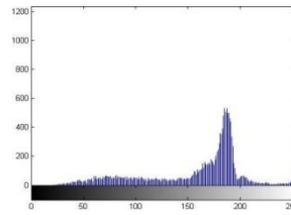


Fig. 4(a): Histogram of Fig. 3(a)

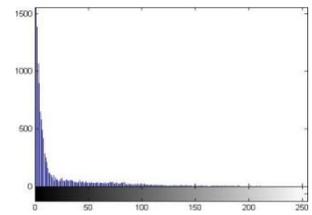


Fig. 4(b): Histogram of Fig. 3(b)

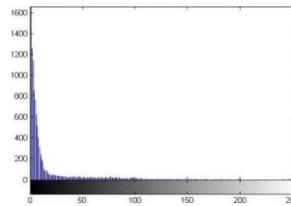


Fig.4(c): Histogram of Fig. 3(c)

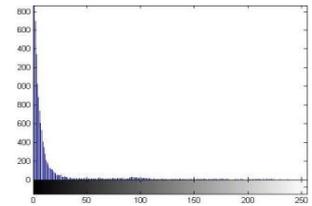


Fig. 4(d): Histogram of Fig. 3(d)

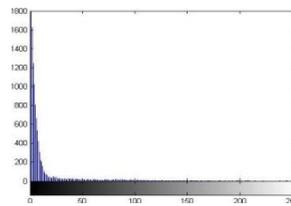


Fig. 4(e): Histogram of Fig.3(e)

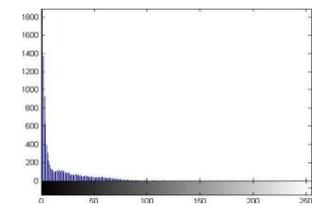


Fig. 4(f): Histogram of Fig. 3(f)

IV. CONCLUSION

The proposed modified Canny algorithm uses different values of sigma for different parts of the image. The values of sigma were chosen carefully so that the output image has true edges only. In future the exact relationship between mean pixel value and sigma may be found out. MATLAB was used for generating the output images.

REFERENCES

[1] D. Marr; E. Hildreth, 'Theory of Edge Detection' Proceedings of the Royal Society of London. Series B, Biological Sciences, Vol. 207, No. 1167. (Feb. 29, 1980), pp. 187-217.  
 [2] M. B. Ahmed and T. S. Choi, 'Local Threshold and Boolean Function Based edge detection'. IEEE Transaction on Consumer Electronics, Vol. 45, No. 3, August 1999.

- [3] John Canny. "A computational approach to edge detection. Pattern Analysis and Machine Intelligence," IEEE Transactions on, PAMI-8(6):679-698, Nov. 1986. (Book style)
- [4] Pan Dafu, Wang Bo., "An Improved Canny Algorithm," Proceedings of the 27<sup>th</sup> Chinese Control Conference 2008, 456-459
- [5] Jianlin Liu and Xianbin Wen, "New adaptive Canny edge detection based on K neighbor mean filter." Journal of Tianjin University of Technology, Vol. 23, No. 3, pp.17-20.
- [6] WAN Li, YI Ang, FU Ming, "An improved edge detection method based on Canny algorithm, : Journal, Computer Technology and Automation, Vol. 22 No. 1, March, 2003:24-26.
- [7] WANG Zhi, HE Sai-xian, "An adaptive edge detection method based on canny algorithm," Journal of Image & Graphics, Vol. 9 No., August, 2004: 957-962.
- [8] Zhenya Yang, Zhijiang Bai etc. "A self adaptable Canny edge detection algorithm" Journal of Shanghai Maritime University. Vol. 24, No. 4, pp:373-37, 2003.
- [9] Zhenya Yang, Zhijiang Bai etc. "An improved Canny edge detection method," Journal of Communication University of China (Science & Technology), Vol.18, No. 2, pp:39-42, 2011.
- [10] Mu Li, Jihong Yan etc. "Self-adaptive Canny operator edge detection technique," Journal of Harbin Engineering University, Vol. 28, No. 9, pp:1002-1007, 2007.
- [11] Zhe Lv, Fuli Wang etc. "An Improved Canny Algorithm for edge Detection" [J].Journal of Northeastern University (Nature Science). Vol.28, No12, pp:1681-1684, 2007.



Biman Debbarma is presently working as Assistant Professor at Electronics & Communication Engineering Department, National Institute of Technology Agartala, India. He received B.Tech (NIT Jamshedpur), M.Tech (NIT, Agartala), currently pursuing Ph.D.(VLSI) at NIT Agartala. His research interests include Network on Chip, Image Processing etc. He has 6 years of academic experience. He is an IEEE member.



Dibyendu Ghoshal is presently working as Associate Professor at Electronics & Communication Engineering Department, National Institute of Technology Agartala, India. His research interests include Microwave, DSP Semiconductor physics etc. He has published research papers in various national and international journals and conferences. He is a member of ITSA. He was awarded Senior Research Fellowship by Council of Scientific and Industrial Research (CSIR) on the basis of all-India selection in 1992 and awarded Research Associateship by Council of Scientific and Industrial Research (CSIR) on the basis of all-India selection in 1996.